## Equilibrium and Le Chatelier's Principle Practice Problems

①  $N_{2}(g) + 3H_{2}(g) \rightleftharpoons 2NH_{3}(g)$   $K = 6.0 \times 10^{-2}$  @ T = 500 °C

To determine which way the rxn shifts to establish equilibrium, you must calculate "Q" for the given concentrations, then compare Q to K. (you are trying to see if the given conc. are equilibrium conc. If not the value of Q in companson to K will tell you in which direction the rxn will shift to reach =)

$$Q = [NH_3]^2$$

$$[N_2][H_2]^3$$

Q > K : Shift left (reverse)

Since  $Q \neq K$  are  $\frac{P}{R}$ , to make Q = K (i.e. reach  $\rightleftharpoons$ ) Q must get smaller, thus [P] must decr & [R] must Incr .. rxN shifts in reverse direction

Q=K : RXN IS at equilibrium, NO SHIFT

 $\bigcirc Q = \frac{(1.0 \times 10^{-4})^2}{(5.0)(1.0 \times 10^{-2})^3} = .0020$ 

Q< K : SHIFT RIGHT (FORWARD)

②  $CO(9) + H_2O(9) \rightleftharpoons CO_2(9) + H_2(9)$ 1.000 mol < V= 1.000 L I 1.000 mol 1.000 mol 1.000 mol C\_-X -X +X

( \* since you determined the system shipts → subtract from Reactants ? Add to Products \* Start W/amounts of all reactants & Products So ask yourself, "is the system @ \Rightarrow under these conditions? IF not, in which direction will the system shift to reach = ? "

K=5.10 @T=700 K

1.386 mol CO2 = mol Hz 5.10 <u>((1+x)(1+x)</u> (1-x)(1-x) (5.10 (1-x) = | + x K = [coz][Hz] X= .386 mol

3 
$$H_{2(9)} + F_{2(9)} \rightleftharpoons 2HF(9)$$
  
I 3.000 mol 3.000 mol 3.000 mol   
 $C - \times - \times + 2 \times$   
 $E = 3 - \times 3 - \times 3 + 2 \times$   
 $= 3 - 2.29 = .7/ mol = .758 mol$   
 $H_{2} = [F_{2}] = .7/ mol = .473 M$ 

$$[H_Z] = [F_Z] = \frac{.7700}{1.5 L} = .4731$$
  
 $[HF] = \frac{7.58 \text{ mol}}{1.5 L} = 5.05 \text{ M}$ 

$$1.15 \times 10^2 = (3 + 2 \times)^2$$
 $(3 - \times)^2$ 

$$0.133 = \frac{(P_{N02})^2}{2.71}$$

$$P_{N02} = .600 \text{ atm}$$

\* Since given equilibrium value

† Kp (connonly plug in ≥ values into Kp)

use Kp expression to solve for the

unknown equilibrium pressure.

## 5 OMIT

© 
$$PC|_{5(9)} \rightleftharpoons PC|_{3(9)} + C|_{2(9)}$$
  $V=1.00$  L  
I 8.70×10<sup>3</sup>mol 0.298 mol 0 mol  $K=?$   
C  $-X$  +X +X  $@ \rightleftharpoons 2.06×10-3$  mol  $C|_{2}$   
E 8.70×10<sup>-3</sup>  $= 0.298 + X$   $X=2.00×10-3$  mol  $V=1.00$   $= 0.298$ 

$$\frac{.0067 \text{ mol PCIs}}{1.00 \text{ L}} = \frac{[6.70 \times 10^{-3} \text{ M PCIs}]}{\text{$\times$ Plug in $\rightleftharpoons$}} \\
\frac{.3 \text{ mol PCI}_3}{1.00 \text{ L}} = \frac{.300 \text{ M PCI}_3}{\text{$\times$ Values into Kc}} \\
\frac{.3 \text{ Values into Kc}}{\text{$\times$ C}} \\
\frac{(.300)(2.00 \times 10^{-3})}{(6.70 \times 10^{-3})} \\
\frac{2.00 \times 10^{-3} \text{ mol CI}_2}{1.0 \text{ L}} = \frac{[2.00 \times 10^{-3} \text{ M CI}_2]}{\text{$\times$ C}} \\
\frac{.300 \times 10^{-3} \text{ mol CI}_2}{\text{$\times$ C}} = \frac{.300 \times 10^{-3} \text{ M CI}_2}{\text{$\times$ C}} \\
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- - a) shift left. Adding co will cause Q to be greater than K. Thus, more reactants must be made to reestablish equilibrium.
  - b) No shift. Asy 06 is a solid, thus it does not affect Q.
  - c) shift right. Removing Asy will cause Q to be less than K. Thus, more products must be made to reestablish equilibrium.
- 18 Decreasing volume = Shift to side w/ less moles of gas
  - a) Py(s) + 6 Cl2(g) = 4 PCl3(l)
    6 mol gas vs. zero mol gas : shift right
  - b) PCl319) + Cl219) 

    ≥ PCl519)

    z mol gas vs. 1 mol gas : shift right
  - c)  $PC|_{3(9)} + 3NH_{3(9)} \rightleftharpoons P(NH_{2})_{3(9)} + 3HC|_{(9)}$ 4 mol gas vs. 4 mol gas : no shift
- 9 Increase T = favor side without heat
  - a)  $Nz(9) + Oz(9) \rightleftharpoons Z NO(9)$   $\Delta H = 181 \ K$  Endo Heat is reactant, thus rxn favors products when T increases. Since [products] increases, K increases.
- b)  $2 \text{ SO}_{2}(9) + \text{O}_{2}(9) \rightleftharpoons 2 \text{ SO}_{3}(9) \Delta H = -198 \text{ FJ}$  Exo! Heat is Product, thus rxn favors reactants when T increases. Since [reactants] increases, K decreases.